

$R = \sigma_L / \sigma_T$ in SIDIS

(in addition to the theory slides)

➤ Knowledge of $R = \sigma_L / \sigma_T$ in SIDIS is non-existing in principle !

➤ Unpolarized cross section in SIDIS:

$$\frac{d\sigma}{dx dy dz d\phi_h dP_{h,t}^2} = \frac{\alpha^2}{xyQ^2} \frac{y^2}{2(1-\varepsilon)} \left(1 + \frac{\gamma^2}{2x} \right) \left\{ F_{UU,T} + \varepsilon F_{UU,L} + \sqrt{2\varepsilon(1+\varepsilon)} \cos\phi_h F_{UU}^{\cos\phi_h} + \varepsilon \cos(2\phi_h) F_{UU}^{\cos(2\phi_h)} + \lambda_e \sqrt{2\varepsilon(1+\varepsilon)} \sin\phi_h F_{LU}^{\sin\phi_h} \right\}$$

➤ Integrate over ϕ_h , unpolarized beam; only L and T terms remain; SIDIS $\rightarrow F(x, Q^2, z, P_t)$, DIS $\rightarrow F(x, Q^2)$

➤ Integrate over z, P_t , hadron species; $R_{SIDIS} \rightarrow R_{DIS}$

- R_{SIDIS} may vary with z, P_t ; Is R_{SIDIS} the same for π^+, π^- (K^+, K^-) ? The same for H and D targets ?
- how does R transition from SIDIS to exclusive ?

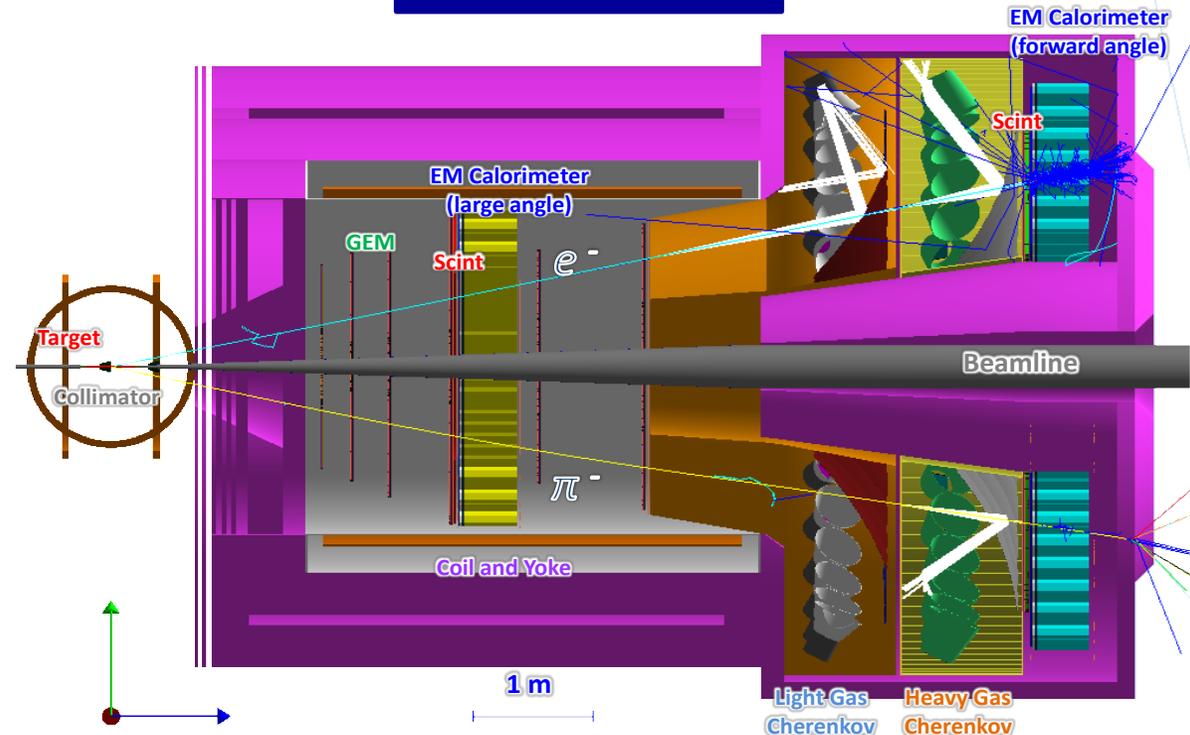
$R = \sigma_L / \sigma_T$ with SoLID ?

- First explore SoLID's kinematic coverage to overlap with part of Hall C R_{SIDIS} data region
- Require $\Delta\varepsilon = \varepsilon(\text{high}) - \varepsilon(\text{low}) > 0.2$? in any selected (x, Q^2, z, P_t) bin to enable a reliable Rosenbluth-type L/T separation
 - Larger $\Delta\varepsilon$ preferred to extract R_{SIDIS}
 - Random errors in σ_L magnified by $\Delta\varepsilon$
- Difficulties:
 - any errors in Q^2 and x reconstruction could mean that $\varepsilon(\text{high})$ and $\varepsilon(\text{low})$ bins do not correspond to each other
 - assigned Q^2 and x values for these two bins will be wrong by different amounts
 - extracted separated cross sections will be incorrect by much more than their statistical uncertainties

High Luminosity
 $10^{37-39} / \text{cm}^2/\text{s}$
[>100x CLAS12] [>1000x EIC]

Large Acceptance
Full azimuthal ϕ coverage

SoLID (SIDIS ^3He)

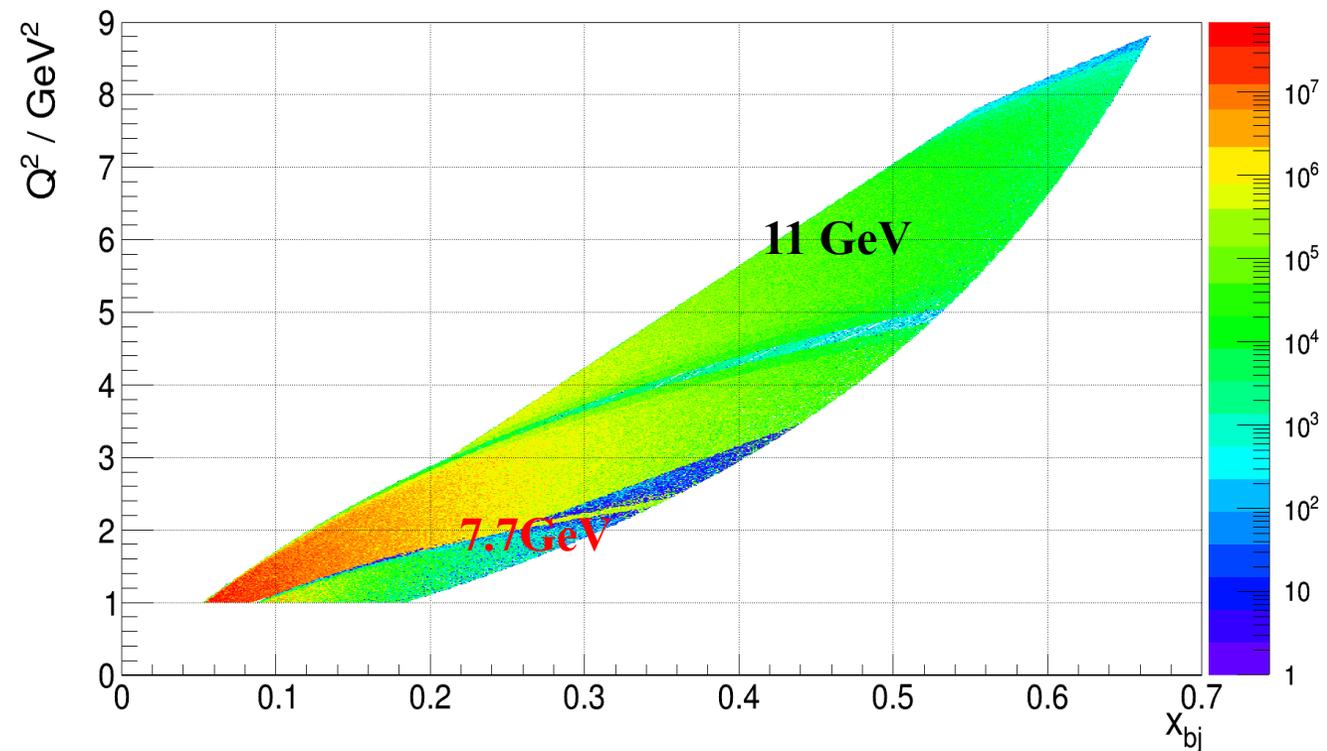
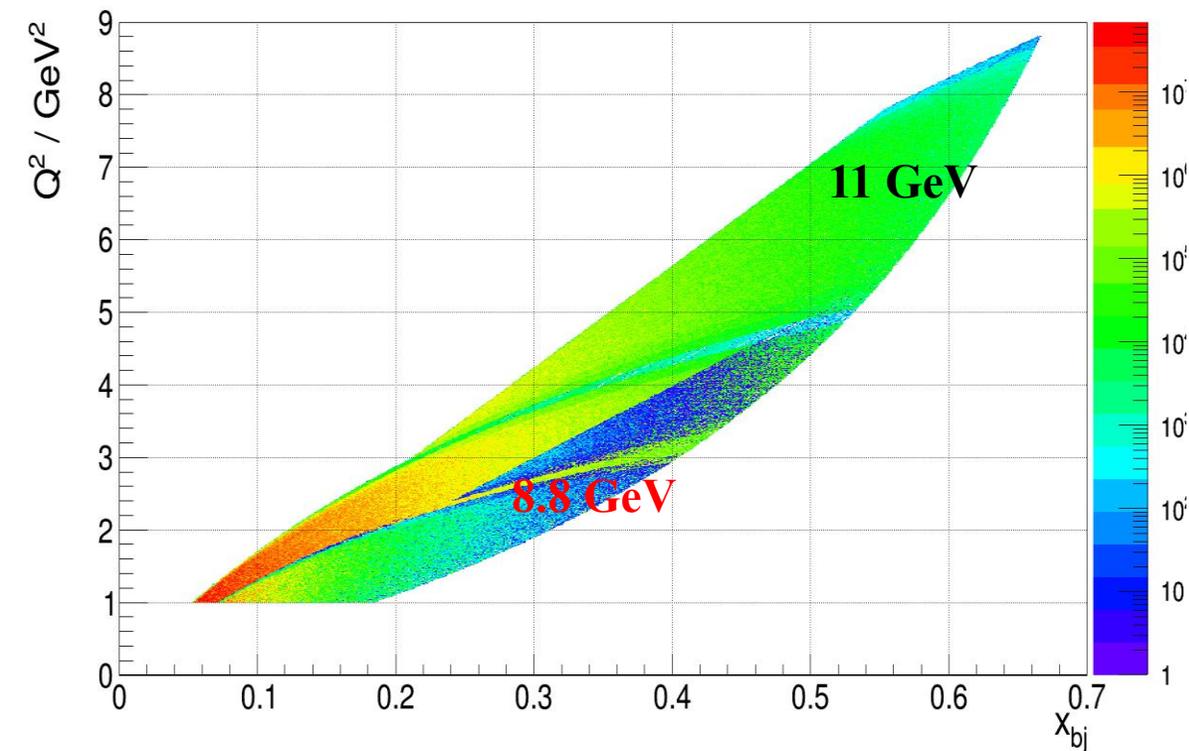


$R = \sigma_L / \sigma_T$ with SoLID ?

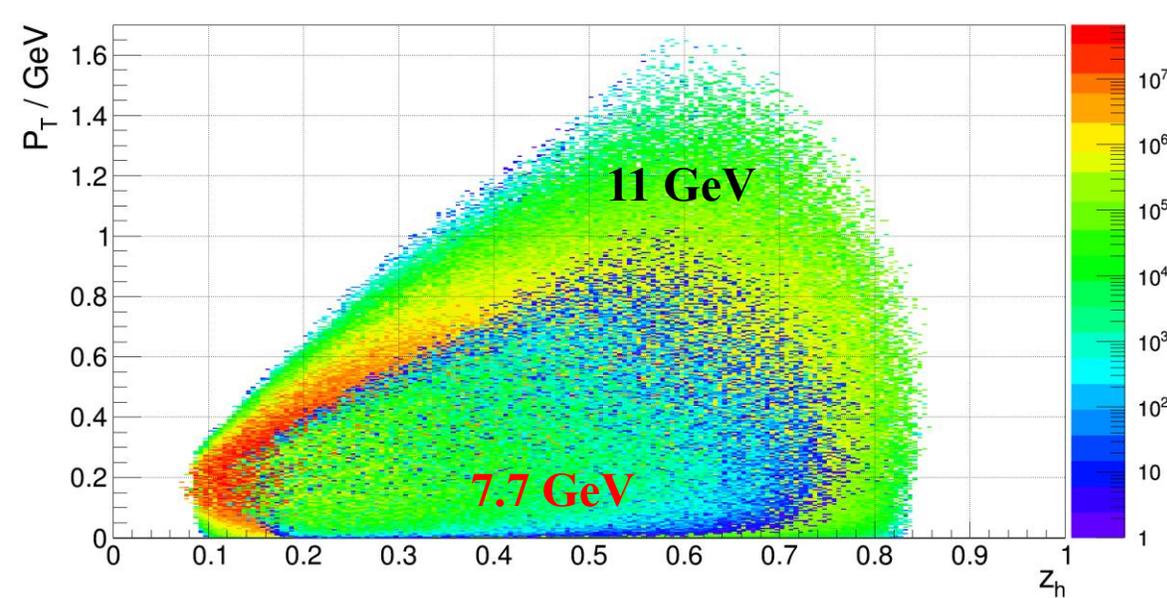
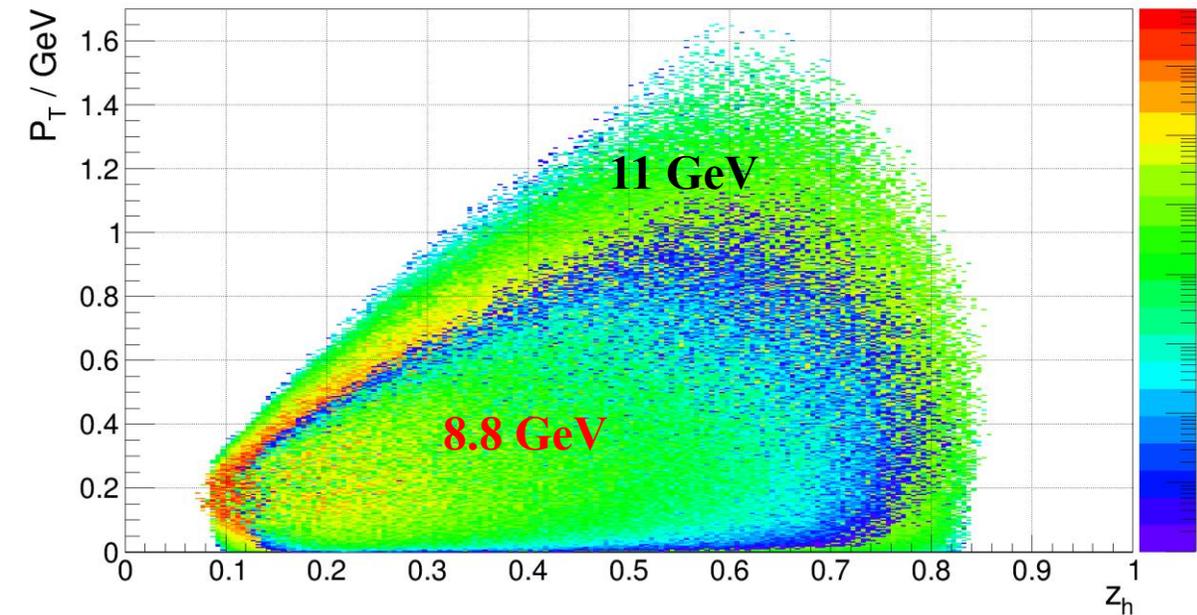
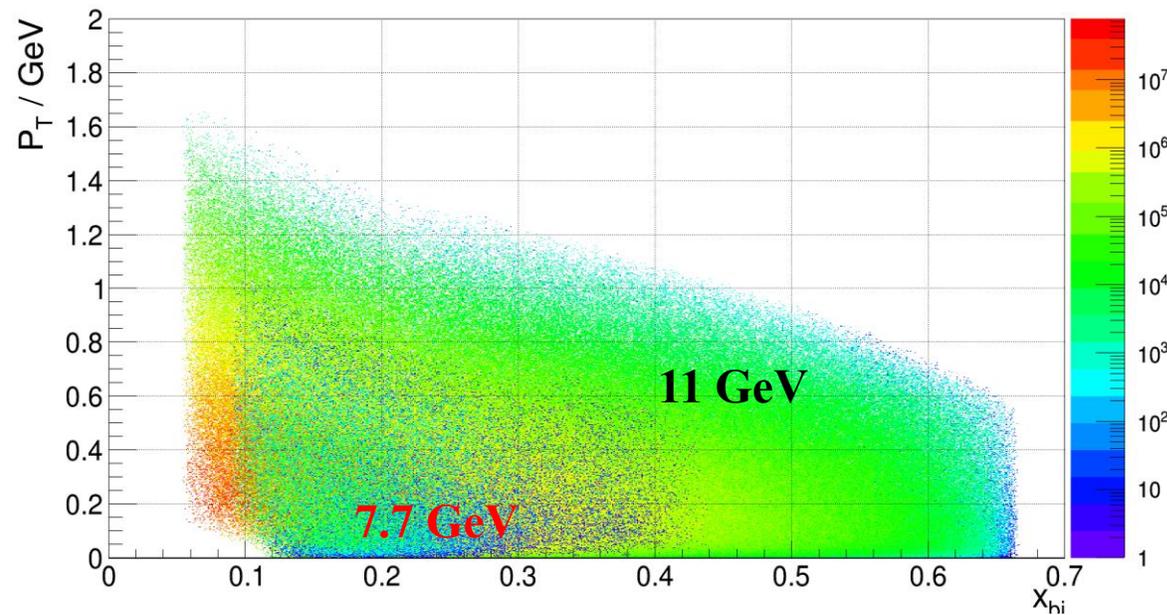
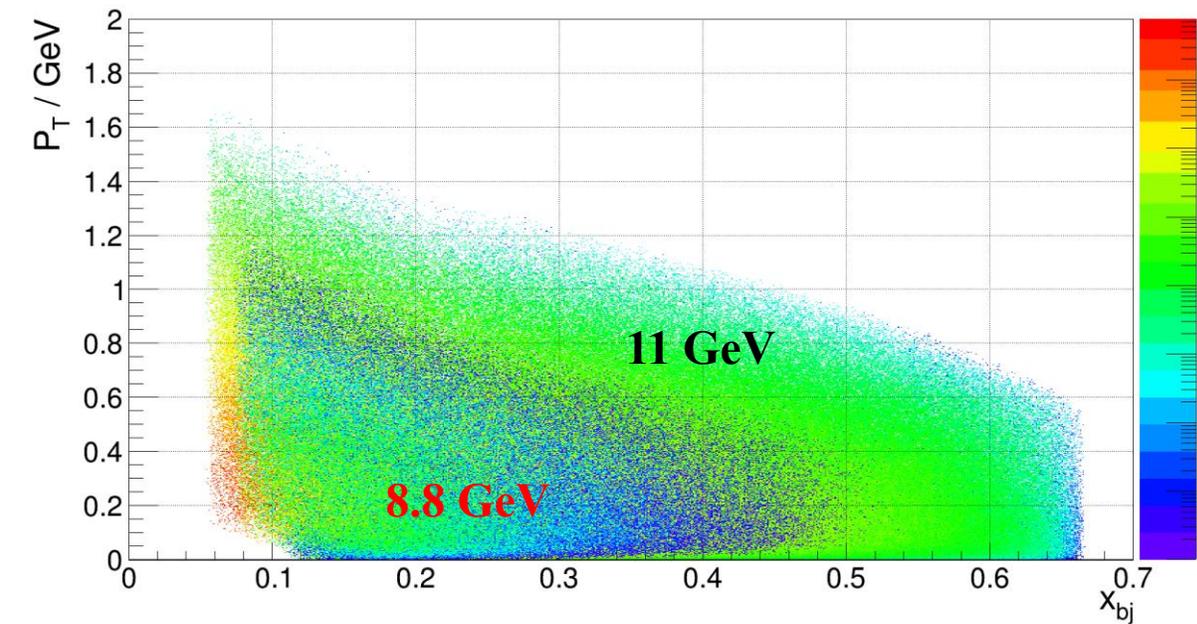
- L/T separation not possible for CLAS12 / HERMES, e.g., in exclusive $p(e, e'\pi)n$ channel
 - angular and energy resolutions are not sufficiently good
- SHMS+HMS in Hall C can do Rosenbluth separations
 - absolute spectrometer angles (both in-plane and out-of-plane) at about 1mr
 - absolute beam and particle momentum calibrations at about 0.1%
- SoLID L/T-separation
 - Exclusive: challenging; SIDIS: potentially feasible, needs study
- Carry out simulation studies and uncertainty propagation to see if SoLID can reach similar (or, not much larger) point-to-point systematic uncertainties ($\sim 1.1\text{--}1.6\%$)
 - model expected uncertainties in extracted σ_L and σ_T , based on realistic estimates of precision with which detected particles' four-momenta are known
 - follow Hall C procedure relying on extensive e+p coincidence elastic data to study and constrain these uncertainties

Check $\Delta\varepsilon$ with SoLID

- As mentioned, explore SoLID kinematic coverage to partially overlap with Hall C R-SIDIS data, while preserving SoLID's unique access to higher P_t region
- Study P_t coverage with 11 GeV and 8.8 GeV beams as a starting point
 - Identify bins with sufficient ε separation and high acceptance



P_t Coverage



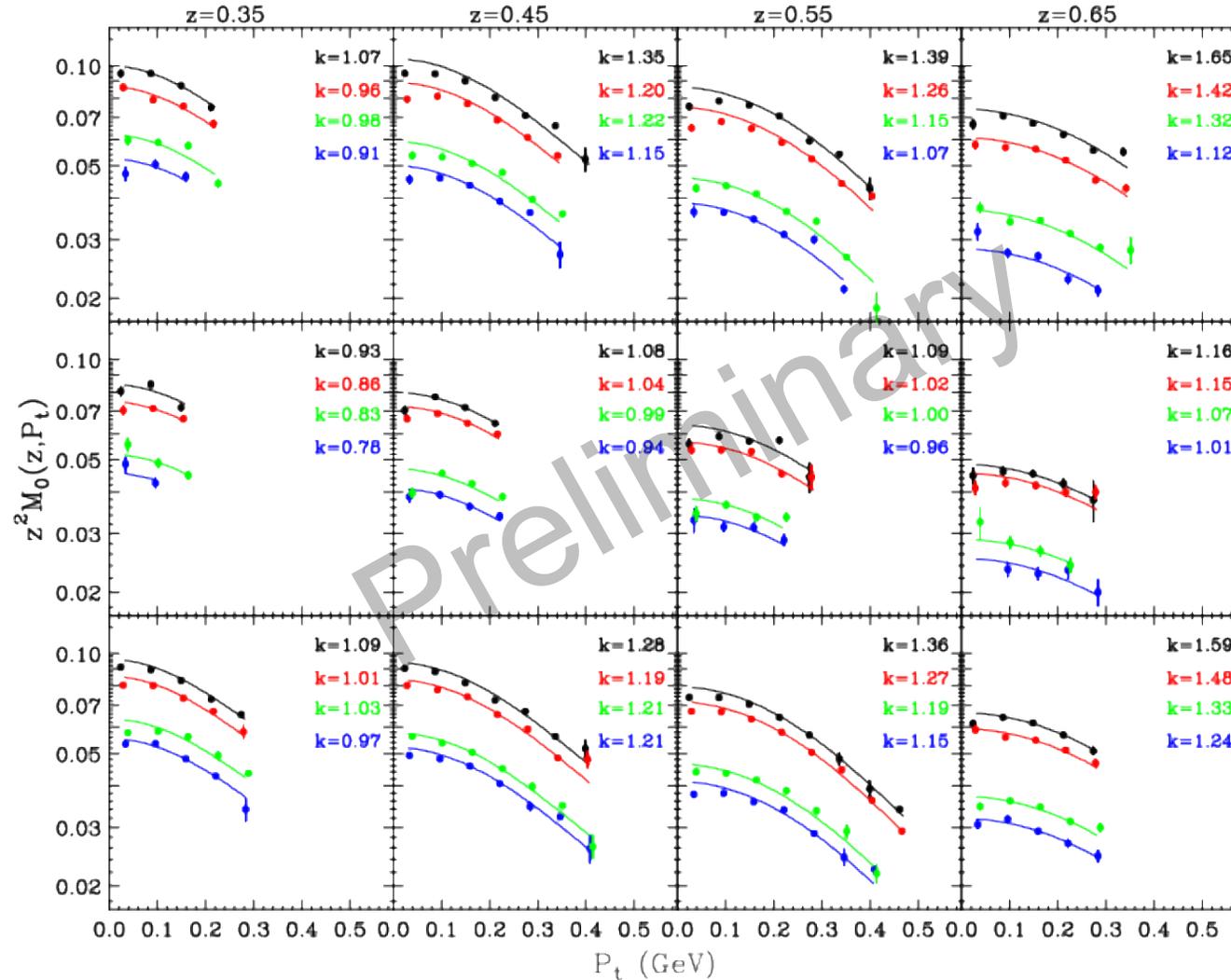
Multiplicities: P_T Dependence at Hall C kinematics

Curves from MAP collaboration, scaled by factor k

MAP uses Gaussian plus weighted Gaussian for P_t dependence

Generally good agreement

- π^+ from p
- π^+ from d
- π^- from d
- π^- from p



Experimental summary

- L-T separation requires deep understanding of SoLID acceptance to have good control of point-to-point systematic uncertainties
- Specific regions of phase space to be studied to have some trade-off using different energies
- Potential SoLID measurements to be complementary to Hall C experiment E12-06-104
- Bacchetta-Cerutti new model for $F_{UU,L}$ structure function and therefore for R -ratio upcoming
- Good opportunity with SHMS+HMS in Hall C + SoLID in Hall A to utilize
 - at small P_t , R -ratio scales as Q^2 and at JLab kinematics its effect going to be sizable
 - having good number of bins in P_t (at fixed x , z , and Q^2) will help understand interface between TMD physics and collinear physics
- After more studies, in the case of promising results, we may prepare LOI, afterwards new proposal

Backups

Role of Hall C in JLab SIDIS Program

Hall C uses magnetic focusing spectrometers with moderate acceptance

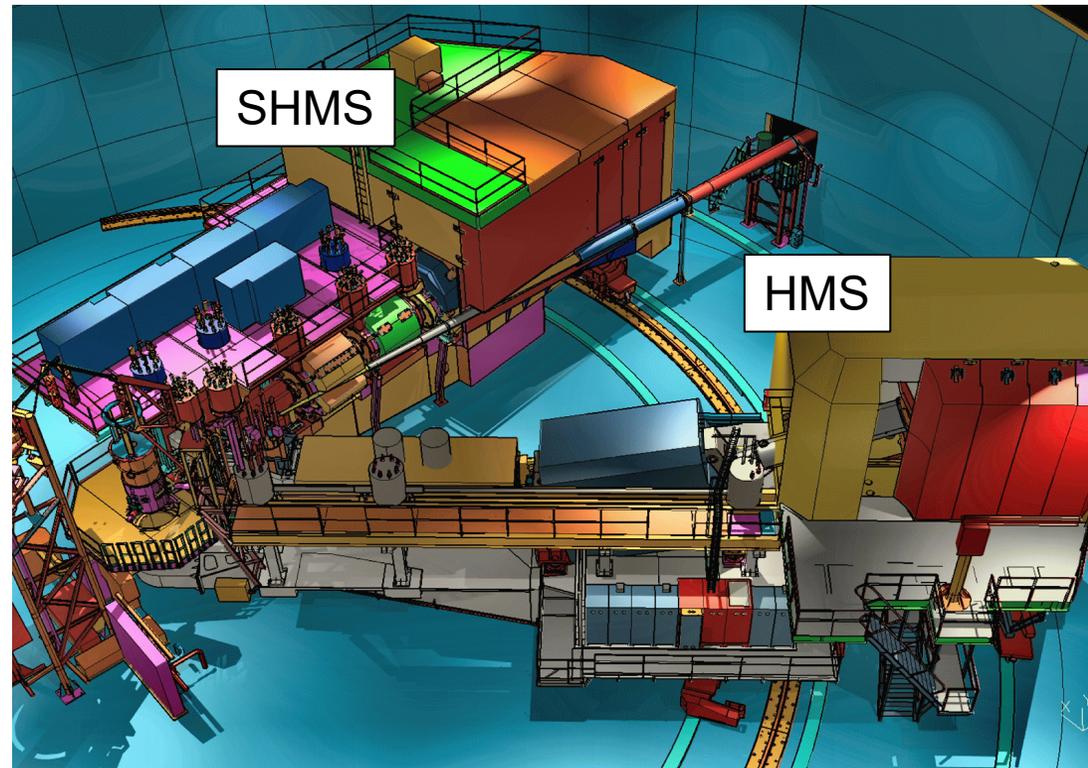
Optimal Hall C SIDIS program:

→ Targeted measurements in specific regions of phase space (i.e., low-rate processes)

→ **Absolute cross sections, L-T separations, ratios**

Complementary to large acceptance devices that can access large phase space all at once

Excellent control of point-to-point systematic uncertainties required for precise L-T separations
→ Ideally suited for focusing spectrometers
→ One of the drivers for SHMS design



Identical acceptance for positive and negative polarity
→ Precision measurement of charged meson ratios

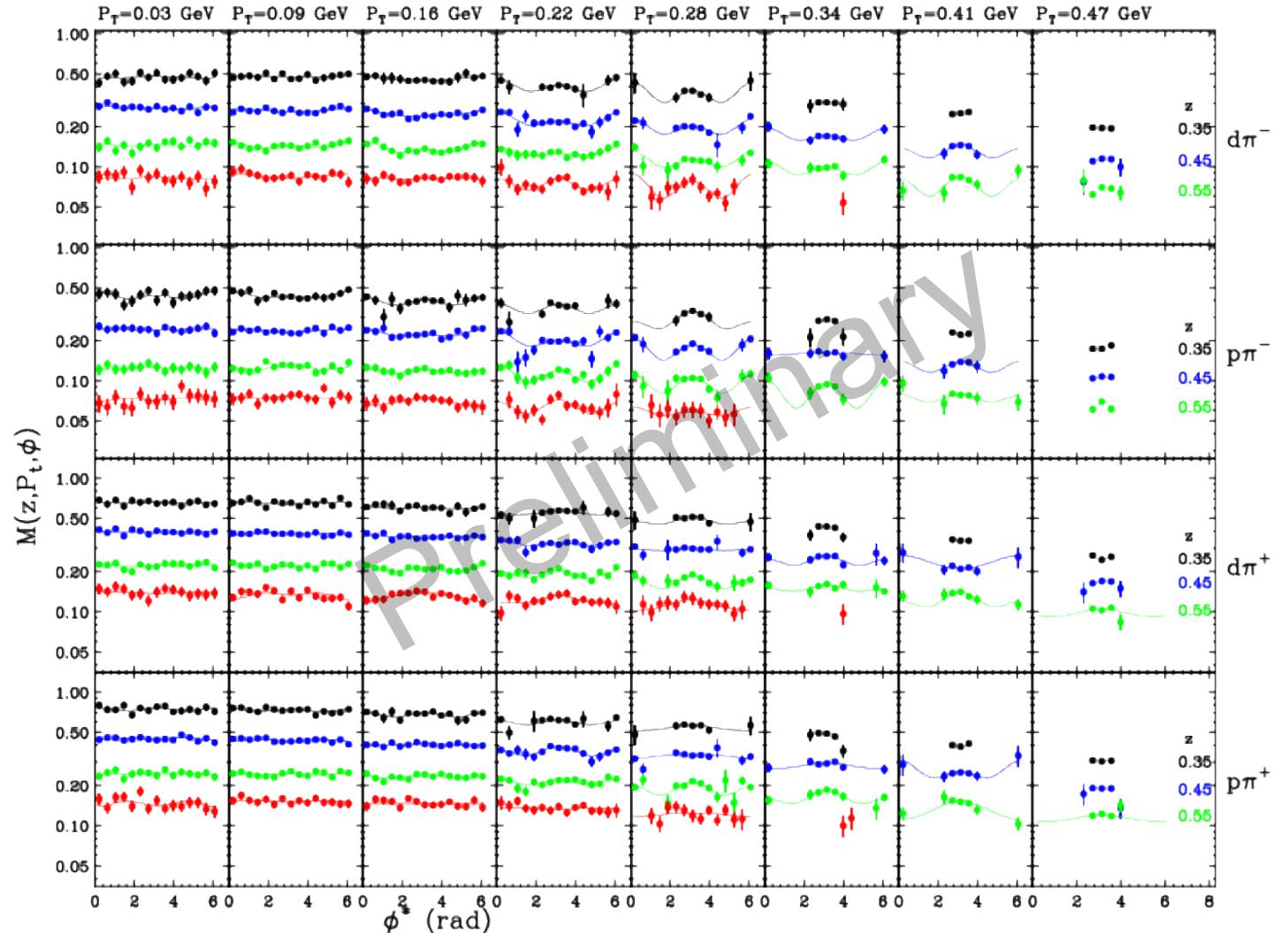
P_T and ϕ Dependent Multiplicities measured in Hall C

P_t and ϕ dependence extracted for several kinematics

- I) $x=0.31, Q^2=3 \text{ GeV}^2$
- II) $x=0.30, Q^2=4.1 \text{ GeV}^2$
- III) $x=0.45, Q^2=4.5 \text{ GeV}^2$

Fit to the following form:

$$M(z, P_t, \phi) = M_0 [1 + A \cos \phi + B \cos 2\phi]$$



E12-06-104: SIDIS L-T Separations

E12-06-104: Measurement of the Ratio $R = \sigma_L / \sigma_T$ in Semi-Inclusive Deep-Inelastic Scattering

→ **Will start running in mid-July, this summer!**

Precise measurements of R_{SIDIS} in

$e+p \rightarrow e'+\pi^{+/-}+X$, $e+D \rightarrow e'+\pi^{+/-}+X$

L-T separation requires excellent understanding of acceptance, control of point-to-point systematic errors

→ ideally suited to Hall C equipment at 12 GeV

1. Scans in z at $Q^2 = 3.3$ ($x = 0.25$) and 4.4 GeV^2 ($x = 0.44$) → behavior of σ_L / σ_T for large z .
2. Cover $Q^2 = 1.6 - 4.4$ GeV^2 , → both H and D at $Q^2 = 3.1, 3.3, 4.4$ GeV^2
3. P_T up to ~ 0.8 GeV . Coverage in ϕ is excellent (o.k.) up to $P_t = 0.2$ (0.4) GeV .

$R = \sigma_L / \sigma_T$ in SIDIS ($ep \rightarrow e'\pi^{+/-}X$)

