

# A Neutrino Factory MIND at Large $\theta_{13}$

R. Bayes<sup>1</sup>, A. Bross<sup>3</sup>, A. Cervera-Villanueva<sup>2</sup>, M. Ellis<sup>4,5</sup>, Tapasi Ghosh<sup>2</sup>, A. Laing<sup>1</sup>, F.J.P. Soler<sup>1</sup>, and R. Wands<sup>3</sup>

<sup>1</sup>University of Glasgow, <sup>2</sup>IFIC and Universidad de Valencia, <sup>3</sup>Fermilab, <sup>4</sup>Brunel University, <sup>5</sup>Westpac Institutional Bank, Australia, on behalf of the IDS-NF collaboration



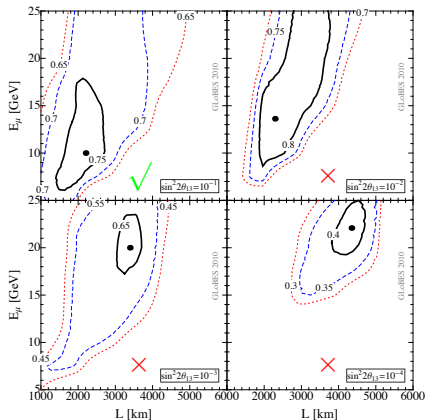
NUFACT 2012  
24 July, 2012



- 1 Introduction
- 2 Simulation Overview
- 3 Analysis
- 4 Sensitivity to  $\delta_{CP}$
- 5 Conclusions

# Consequences of Large $\theta_{13}$ on Neutrino Factory

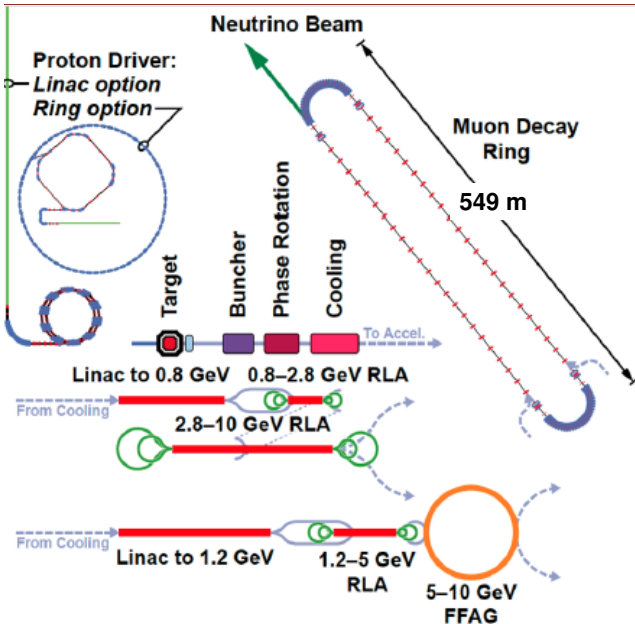
- Physics priorities shift to measurement of CP violation.
- For measurement of  $\theta_{13}$  used
  - Two baselines: 4000 km and 7500 km
  - 25 GeV stored  $\mu$  energy.
- Re-optimization of baseline and beam energy required
- Measurement of  $\delta_{CP}$  achieved with
  - Single 2000 km baseline.
  - 10 GeV stored  $\mu$  energy.



From IDS-NF-020, Interim Design Report

- MIND simulation used to examine sensitivities with these specifications.

# New Baseline Neutrino Factory



- Single decay ring.
- Stores both  $\mu^+$  and  $\mu^-$ .
- 10 GeV final muon energy.
- Either RLA or FFAG will be used in final design.

# Physics at a Neutrino Factory

- Neutrino Factory provides neutrinos from  $\mu^+$  and  $\mu^-$  decay.
- Will produce  $5 \times 10^{20}$  useful muons of both species per year.

## $\nu$ Oscillation Channels

	Store $\mu^+$	Store $\mu^-$
Golden Channel	$\nu_e \rightarrow \nu_\mu$	$\bar{\nu}_e \rightarrow \bar{\nu}_\mu$
$\nu_e$ Disappearance Channel	$\nu_e \rightarrow \nu_e$	$\bar{\nu}_e \rightarrow \bar{\nu}_e$
Silver Channel	$\nu_e \rightarrow \nu_\tau$	$\bar{\nu}_e \rightarrow \bar{\nu}_\tau$
Platinum Channel	$\bar{\nu}_\mu \rightarrow \bar{\nu}_e$	$\nu_\mu \rightarrow \nu_e$
$\nu_\mu$ Disappearance Channel	$\bar{\nu}_\mu \rightarrow \bar{\nu}_\mu$	$\nu_\mu \rightarrow \nu_\mu$
Dominant Oscillation	$\bar{\nu}_\mu \rightarrow \bar{\nu}_\tau$	$\nu_\mu \rightarrow \nu_\tau$

- MIND optimized for Golden Channel signal (wrong sign muon).

# Physics at a Neutrino Factory

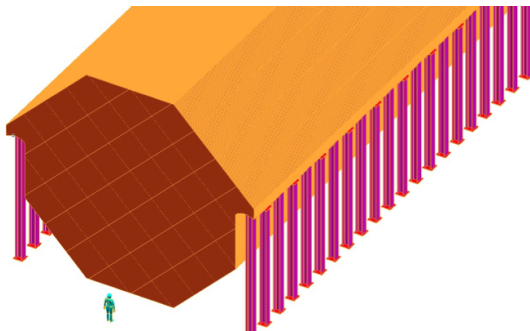
- Neutrino Factory provides neutrinos from  $\mu^+$  and  $\mu^-$  decay.
- Will produce  $5 \times 10^{20}$  useful muons of both species per year.

## $\nu$ Oscillation Channels

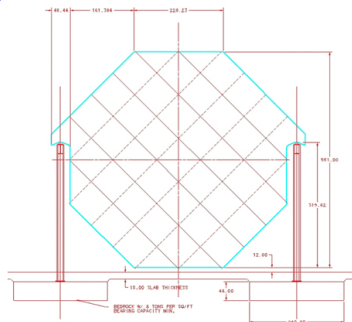
	Store $\mu^+$	Store $\mu^-$
<b>Golden Channel</b>	$\nu_e \rightarrow \nu_\mu$	$\bar{\nu}_e \rightarrow \bar{\nu}_\mu$
$\nu_e$ Disappearance Channel	$\nu_e \rightarrow \nu_e$	$\bar{\nu}_e \rightarrow \bar{\nu}_e$
Silver Channel	$\nu_e \rightarrow \nu_\tau$	$\bar{\nu}_e \rightarrow \bar{\nu}_\tau$
Platinum Channel	$\bar{\nu}_\mu \rightarrow \bar{\nu}_e$	$\nu_\mu \rightarrow \nu_e$
$\nu_\mu$ Disappearance Channel	$\bar{\nu}_\mu \rightarrow \bar{\nu}_\mu$	$\nu_\mu \rightarrow \nu_\mu$
Dominant Oscillation	$\bar{\nu}_\mu \rightarrow \bar{\nu}_\tau$	$\nu_\mu \rightarrow \nu_\tau$

- MIND optimized for Golden Channel signal (wrong sign muon).

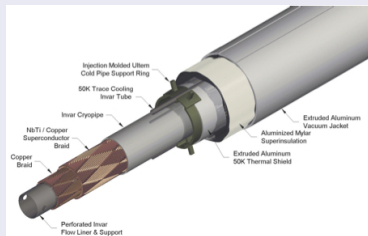
# MIND Design for Neutrino Factory



- 100 kTon detector
- 14 m × 14 m × 140 m.
- X and Y views from 2 cm thick lattice of 1 cm × 3.5 cm scintillator bars.
- $\vec{B}$  field from 3 cm Fe plates, induced by 120 kA current carried by 7 cm diameter SCTL

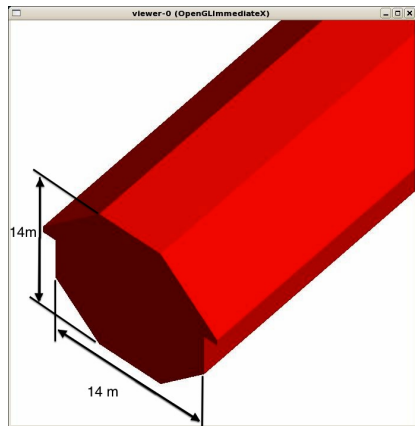
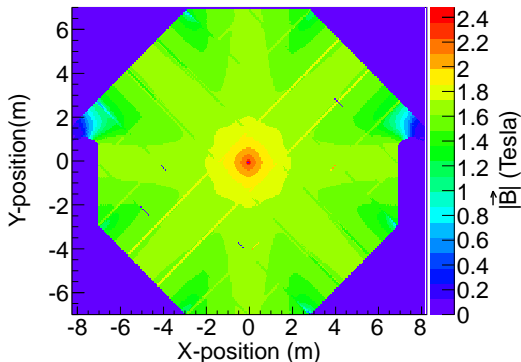


## Superconducting Transmission Line



# MIND Simulation

- Events simulated with GENIE.
- Full geometry &  $\vec{B}$  field in GEANT 4
- Realistic field map generated by Bob Wands at FNAL
  - default positive focussing.



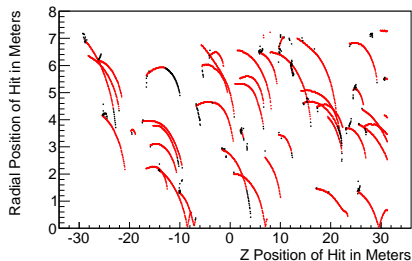
- Dimensions of detector easily altered for
  - optimization.
  - testing variations.



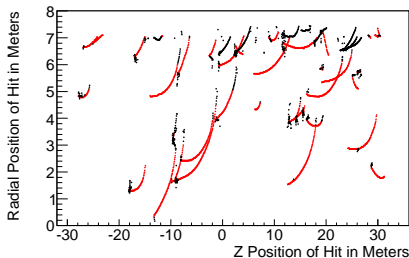
# MIND Event Reconstruction

- Simulated events digitized.
  - Hits positions smeared and energy deposition attenuated.
  - Edep clustered into  $3.5\text{ cm} \times 3.5\text{ cm}$  units.
- Tracks identified by Kalman Filter or Cellular automata.
- Kalman fitting used to determine momentum and charge.
- Algorithms from RecPack.
  - supported by Cervera-Villanueva *et al.*

- 50  $\bar{\nu}_\mu$  CC events.



- 50  $\nu_\mu$  CC events.



- Fitted hits in red others in black.

# Cuts Based Golden Analysis

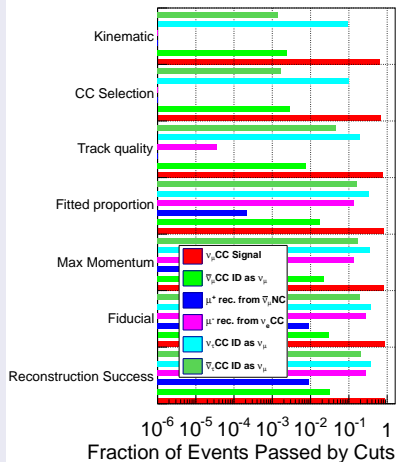
## Described in detail in IDR.

- Separates NC like from CC like events.
- CC backgrounds are reduced as they are partially NC like.

## Departures from IDR Analysis

- Quadratic and displacement cuts removed.
- Kinematic cuts replaced by a uniform requirement  $Q_t > 0.15 \text{ GeV}$

## $\mu^+$ or $\mu^-$ Focussing Magnetic Field



Consider  $\nu_\mu$  and  $\bar{\nu}_\mu$  appearance.

# Cuts Based Golden Analysis

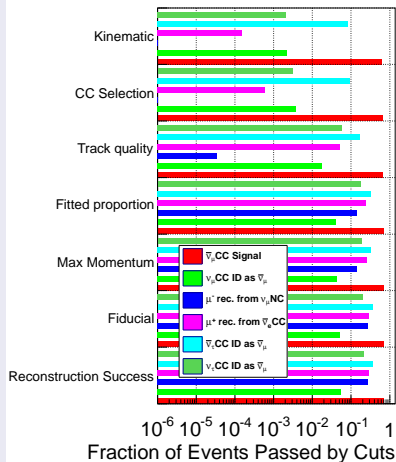
## Described in detail in IDR.

- Separates NC like from CC like events.
- CC backgrounds are reduced as they are partially NC like.

## Departures from IDR Analysis

- Quadratic and displacement cuts removed.
- Kinematic cuts replaced by a uniform requirement  $Q_t > 0.15$  GeV

## $\mu^+$ or $\mu^-$ Focussing Magnetic Field



Consider  $\nu_\mu$  and  $\bar{\nu}_\mu$  appearance.

# Cuts Based Golden Analysis

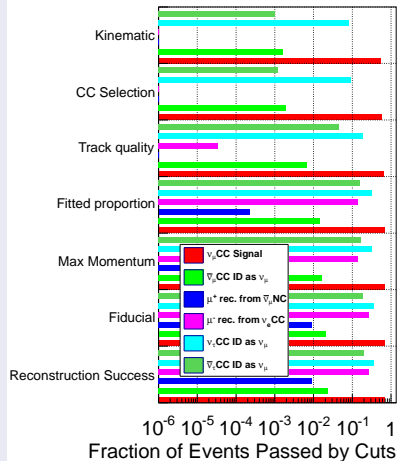
## Described in detail in IDR.

- Separates NC like from CC like events.
- CC backgrounds are reduced as they are partially NC like.

## Departures from IDR Analysis

- Quadratic and displacement cuts removed.
- Kinematic cuts replaced by a uniform requirement  $Q_t > 0.15$  GeV

## $\mu^+$ or $\mu^-$ Focussing Magnetic Field



Consider  $\nu_\mu$  and  $\bar{\nu}_\mu$  appearance.

# Cuts Based Golden Analysis

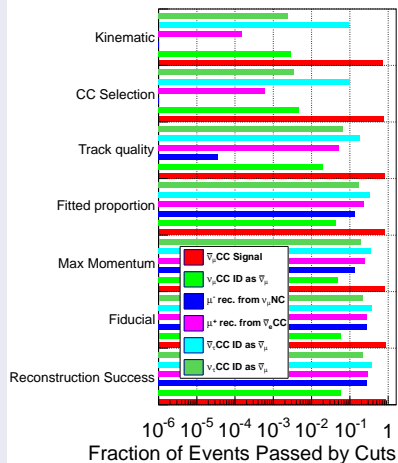
## Described in detail in IDR.

- Separates NC like from CC like events.
- CC backgrounds are reduced as they are partially NC like.

## Departures from IDR Analysis

- Quadratic and displacement cuts removed.
- Kinematic cuts replaced by a uniform requirement  $Q_t > 0.15 \text{ GeV}$

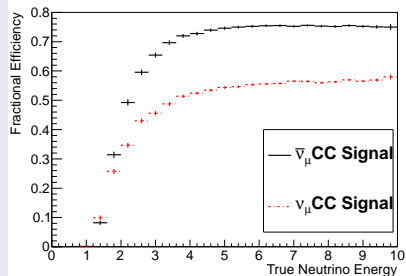
## $\mu^+$ or $\mu^-$ Focussing Magnetic Field



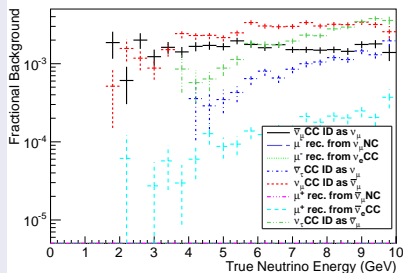
Consider  $\nu_\mu$  and  $\bar{\nu}_\mu$  appearance.

# Charge Current Selection Efficiencies

## Signal Efficiencies



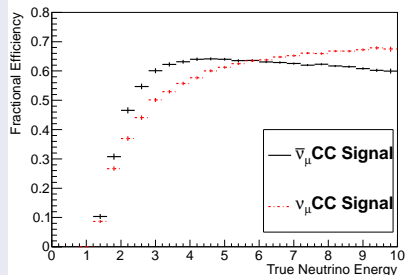
## Background



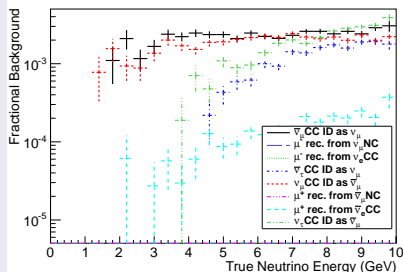
- All reconstruction efficiencies at or above 50%.
- Background suppressed by parts in  $10^3$ .
- NC backgrounds completely suppressed.
- Efficiency behaviours different for **positive** and negative focussing.

# Charge Current Selection Efficiencies

## Signal Efficiencies



## Background

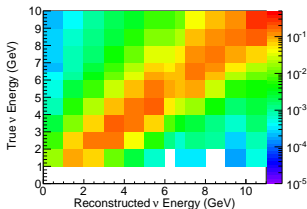


- All reconstruction efficiencies at or above 50%.
- Background suppressed by parts in  $10^3$ .
- NC backgrounds completely suppressed.
- Efficiency behaviours different for positive and **negative** focussing.

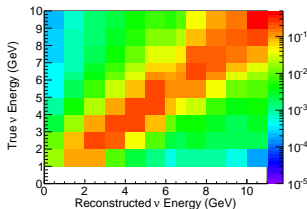
# Energy Response in Octagonal MIND

Assuming 10 GeV factory

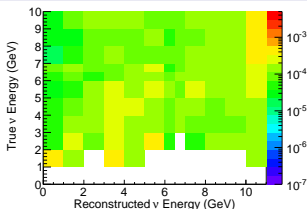
$\nu_\mu$  Appearance Signal



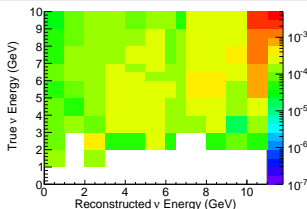
$\bar{\nu}_\mu$  Appearance Signal



$\nu_\mu$  App.  $\bar{\nu}_\mu$  CC Background



$\bar{\nu}_\mu$  App.  $\nu_\mu$  CC Background



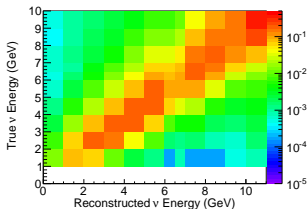
- Two  $\vec{B}$  settings.
- $\mu^+$  Focussing.
- $\mu^-$  Focussing.
- Field settings run separately.
- Optimization still required



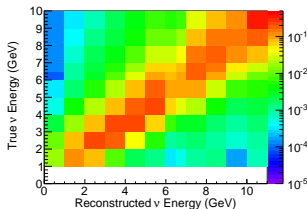
# Energy Response in Octagonal MIND

Assuming 10 GeV factory

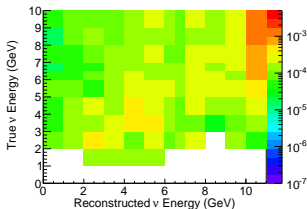
$\nu_\mu$  Appearance Signal



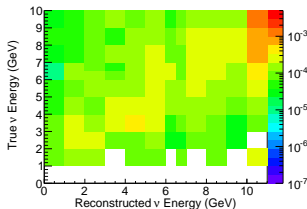
$\bar{\nu}_\mu$  Appearance Signal



$\nu_\mu$  App.  $\bar{\nu}_\mu$  CC Background



$\bar{\nu}_\mu$  App.  $\nu_\mu$  CC Background

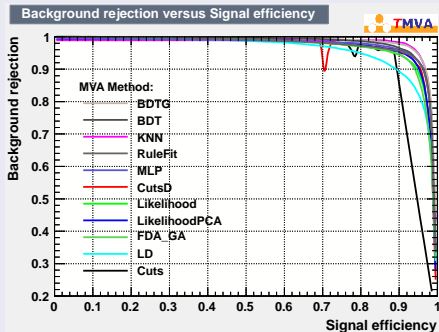


- Two  $\vec{B}$  settings.
- $\mu^+$  Focussing.
- $\mu^-$  Focussing.
- Field settings run separately.
- Optimization still required

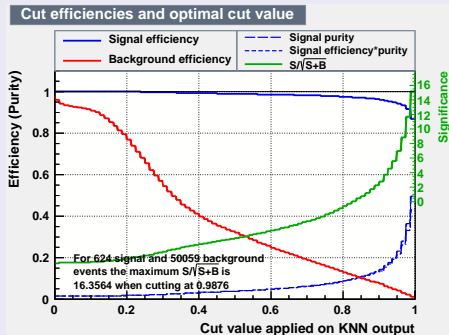
# Multi-Variate Analysis

- A full multivariate analysis is under development.
  - Use a set of correlated variables to select signal from background.
- Should be able to achieve higher efficiency than existing analysis.
- Still a work in progress.

## Variety of Methods Tested



## Example KNN Method



## Extracting Sensitivities from Simulation

- Use the simulation to produce "migration matrices"
  - Relates true neutrino energy to reconstructed energy.
  - Contains efficiency, energy resolution, and response information.
- Run pseudo-experiments with simulation package (ie. NuTS).

Data is composed of sum

$$n_i^{data} = M_{ij}^{sig} \nu^{sig}(E_j) + \sum_k M_{ij}^{bkg,k} \nu^{bkg,k}(E_j)$$

Define a fit of  $\theta_{13}$  and  $\delta_{CP}$ , simultaneously

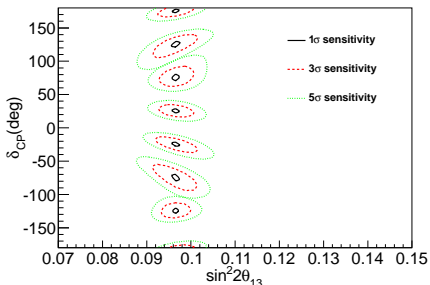
$$\chi^2 = 2 \sum_{i=0}^L \left( \begin{aligned} & AxN_{+,i}(\theta_{13}, \delta_{CP}) - n_{+,i}^{data} + n_{+,i}^{data} \ln \left( \frac{n_{+,i}^{data}}{AxN_{+,i}(\theta_{13}, \delta_{CP})} \right) \\ & + AN_{-,i}(\theta_{13}, \delta_{CP}) - n_{-,i}^{data} + n_{-,i}^{data} \ln \left( \frac{n_{-,i}^{data}}{AN_{-,i}(\theta_{13}, \delta_{CP})} \right) \\ & + \frac{(A-1)^2}{\sigma_A^2} + \frac{(x-1)^2}{\sigma_x} \end{aligned} \right)$$

# Preliminary Precision in $\delta_{CP}$ For Octagonal MIND

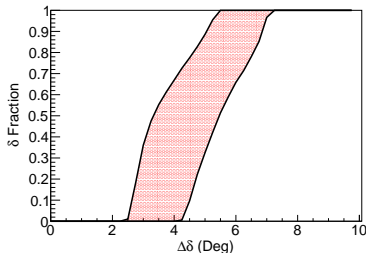
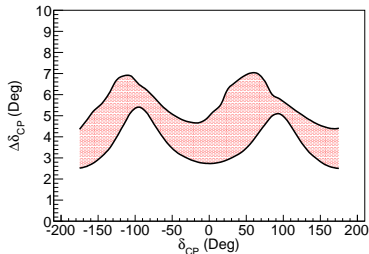
Assuming 10 GeV Factory, 10 years Running,  $0.5 \times 10^{21} \mu^+ + 0.5 \times 10^{21} \mu^-$  per year

- Uses cuts-based analysis.
- Consider  $\mu^+$  and  $\mu^-$  focussing
- Systematic variations shown  
( $\sigma_A, \sigma_X$ ) = (1%, 1%)  $\rightarrow$  (2.5%, 3%).

$\chi^2$  Contours; Arbitrary  $\delta_{CP}, \theta_{13} = 9^\circ$



Error in  $\delta_{CP}$  from 1  $\sigma$  curves

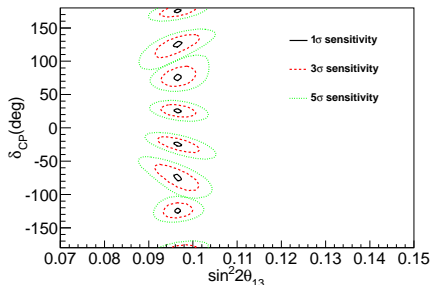


# Preliminary Precision in $\delta_{CP}$ For Octagonal MIND

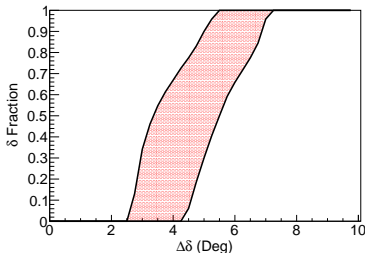
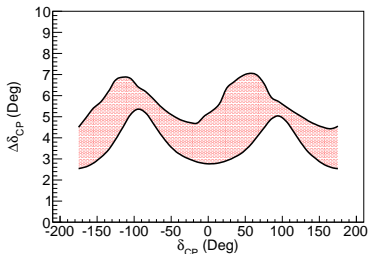
Assuming 10 GeV Factory, 10 years Running,  $0.5 \times 10^{21} \mu^+ + 0.5 \times 10^{21} \mu^-$  per year

- Uses cuts-based analysis.
- Consider  $\mu^+$  and  $\mu^-$  focussing
- Systematic variations shown  
( $\sigma_A, \sigma_X$ ) = (1%, 1%)  $\rightarrow$  (2.5%, 3%).

$\chi^2$  Contours; Arbitrary  $\delta_{CP}, \theta_{13} = 9^\circ$



Error in  $\delta_{CP}$  from 1  $\sigma$  curves



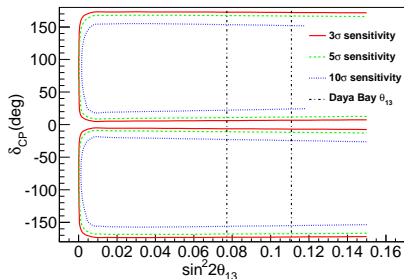
# Preliminary Sensitivity to $\delta_{CP}$

Assuming 10 GeV Factory, 10 years Running,  $0.5 \times 10^{21} \mu^+ + 0.5 \times 10^{21} \mu^-$  per year

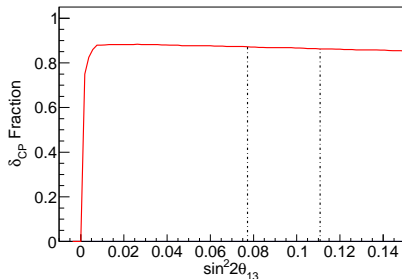
Contours determined using the expression

$$\max(\chi^2(\delta_{CP} = -180^\circ), \chi^2(\delta_{CP} = 0^\circ), \chi^2(\delta_{13}^0 = 180^\circ)) - \chi_{min}^2 \geq n^2$$

## Sensitivity curves



## $5\sigma$ Discovery Potential



- Both **normal** and inverted hierarchy cases are considered.

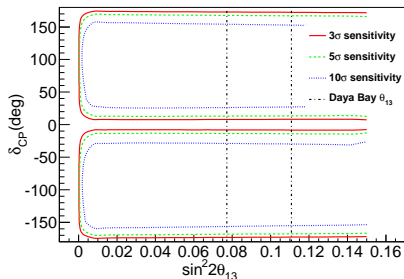
# Preliminary Sensitivity to $\delta_{CP}$

Assuming 10 GeV Factory, 10 years Running,  $0.5 \times 10^{21} \mu^+ + 0.5 \times 10^{21} \mu^-$  per year

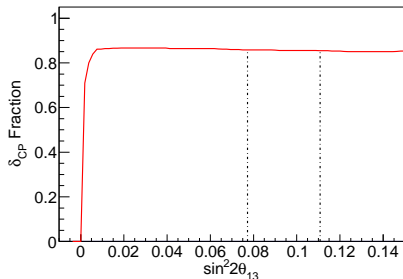
Contours determined using the expression

$$\max(\chi^2(\delta_{CP} = -180^\circ), \chi^2(\delta_{CP} = 0^\circ), \chi^2(\delta_{13}^0 = 180^\circ)) - \chi_{min}^2 \geq n^2$$

## Sensitivity curves



## $5\sigma$ Discovery Potential



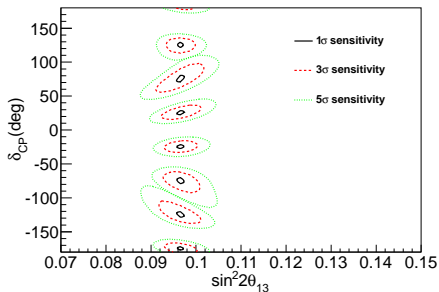
- Both normal and **inverted** hierarchy cases are considered.

# What About Dipole Geometry at 10 GeV?

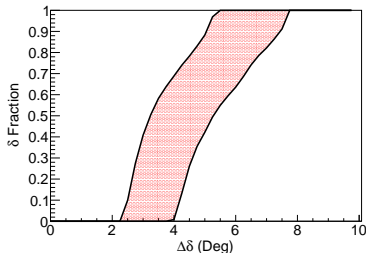
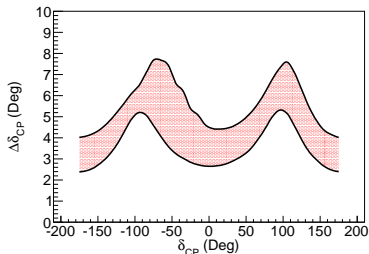
Assuming 10 GeV Factory, 10 years Running,  $0.5 \times 10^{21} \mu^+ + 0.5 \times 10^{21} \mu^-$  per year

- Achieved  $10^{-4}$  background rejection in IDR
- Similar efficiency.
- Optimized for two baselines.

$\chi^2$  Contours; Arbitrary  $\delta_{CP}$ ,  $\theta_{13} = 9^\circ$



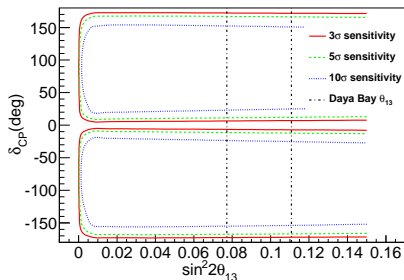
Error in  $\delta_{CP}$  from 1  $\sigma$  curves



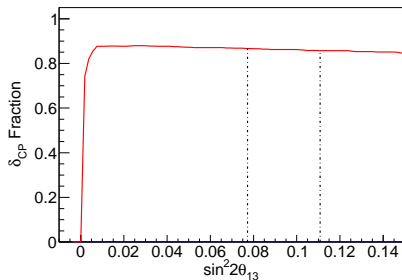


# What does this tell us?

## $\delta_{CP}$ Sensitivity curves



## 5 $\sigma$ Discovery Potential



- $\delta_{CP}$  precision and sensitivity comparable between dipole and toroidal analyses for the same experimental conditions.
- Reduction of backgrounds does not increase sensitivity.
- Will reduction of energy threshold help?

# Outlook

## There has been great progress in the past year.

- Complete change to GENIE event generator.
- Introduction of realistic octagonal geometry
- Improvement of reconstruction to allow toroidal field.

## Still work in progress

- Reconstruction of secondary, hadron tracks.
- Update to use multi-variate analysis.
- Optimize analysis for physics outcomes.

## Early conclusions

- Preliminary precision of  $\delta_{CP}$  between  $2^\circ$  and  $8^\circ$  with toroidal magnetic field.